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


MTEX2Gmsh: a tool for generating 2D meshes from EBSD data

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Summary

In material sciences applied to crystalline materials, such as metals or ceramics, the grain morphology (size and shape) and the crystallographic texture are of great importance for understanding the macroscopic behaviour of the materials. Micromechanics of polycrystalline aggregates consists in evaluating the thermo-mechanical behaviour of the aggregates at their grain scale. If the investigated material is subjected to macroscopic deformation, the local strain can be obtained either experimentally, thanks to full-field measurement methods such as microgrid technique (Allais, Bornert, Bretheau, & Caldemaison, 1994) or Digital Image Correlation (DIC) (Hild, Raka, Baudequin, Roux, & Cantelaube, 2002), or thanks to numerical simulation of the microstructure. The latter needs to take into account the mechanical heterogeneities (due to the different constituents) and the anisotropy of each phase, depending on its crystalline orientation.

Orientation Imaging Microscopy (OIM), usually made from Electron Backscatter Diffraction (EBSD), is now widely used as a characterization technique. Indeed, it is in great interest for investigating the grain morphology and local crystal orientations in crystalline materials. Raw EBSD data can be considered as matrices of measurements of crystallographic data: each dot contains information about the phase and its orientation at the corresponding position.

In order to perform Finite Element Analysis (FEA) on a polycrystal, one needs to first generate a mesh based on either EBSD or reconstructed grains. In this mesh, the Grain Boundaries (GBs) must be accurately described since they play an important role in the overall behaviour of aggregates. Indeed, it is known that GBs increase the energy of the materials. The interfacial energy between two adjacent grains due to their boundary depends, among other parameters, on their misorientation and on the surface normal of the boundary (Priester, 2012). In addition, Zhong, Rowenhorst, Beladi, & Rohrer (2017) mentioned that the GB curvature is one of the most important properties of a microstructure. For instance, the driving force for grain growth depends on the local curvature of the GBs.

Latypov, Shin, De Cooman, & Kim (2016) proposed a program to generate regular pseudo-3D mesh, consisting in brick elements with only one element in thickness. Nevertheless, this program results in serrated descriptions of the GBs because of the regular structure of EBSD data. In addition, the element size must be constant, possibly resulting in a huge number of elements, depending on the size and the spatial resolution of the orientation map. Dancette, Browet, Martin, Willemet, & Delannay (2016) proposed the following method to generate a conforming mesh with smooth GBs:

- computation of the GBs based on a proper criterion;
- grain reconstruction using a graph theory-based method;
- spline interpolation of the GBs;
- meshing.

The criterion used by the previous authors for defining the GBs, called weight in the context of graph theory, was specially designed for cubic phases. The geometry was meshed using the Gmsh software (Geuzaine & Remacle, 2009).

As a conclusion, it appears that no existing tool for generating meshes from EBSD data is able to provide a robust grain description (e.g. suitable for any kind of phase and geometry) together with customizable features (e.g. variable element sizes). The proposed software, named **MTEX2Gmsh** works regardless the number of phases and the symmetries of those phases. In addition, it provides a smooth and accurate definition of the GBs. It is based on the MTEX toolbox for Matlab (Bachmann, Hielscher, & Schaeben, 2011) and the Gmsh software. Figure 1 schematically illustrates the proposed algorithm. **MTEX2Gmsh** allows to mesh the volume with a couple of options, such as:

- increasing element size with increasing distance from the grains boundaries;
- element type (tetrahedron, wedge or brick elements);
- nesting the Region of Interest (ROI) into a larger medium.

This software comes with an Abaqus plugin for importing the mesh and allocating the phase and Euler Angles of each grain.

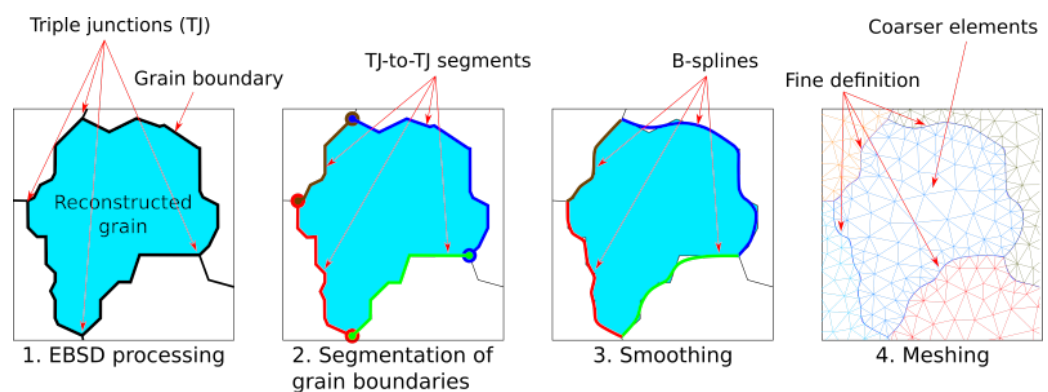


Figure 1: Schematic representation of the algorithm used in MTEX2Gmsh: 1) once the grains are reconstructed using to MTEX (Bachmann et al., 2011), the algorithm fetches all triple junctions (TJ) in the whole map; 2) each grain boundary is divided into TJ-to-TJ segments; 3) all those segments are smoothed using B-spline approximation; 3) this descriptions of the grains can be converted into Gmsh-readable files (Geuzaine & Remacle, 2009), allowing to mesh the whole region efficiently. The B-spline approximation results in very accurate definitions of the GBs, with limited serration (usually introduced by the EBSD resolution) and limited number of elements.

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