2D longitudinal modeling of heat transfer and fluid flow during multilayered DLMD process

Simon Morville¹, Muriel Carin¹, Patrice Peyre², Myriam Gharbi², Denis Carron¹, Philippe Le Masson¹, Rémy Fabbro²

¹ LIMATB, Université de Bretagne-Sud / UEB, Centre de recherche Ch. Huygens, Rue de Saint Maudé, BP 92116, 56321 Lorient cedex, France
² PIMM, UMR 8006 CNRS-Arts et Métiers Paris Tech, 151 Boulevard de l’Hôpital, 75013 Paris, France

Abstract

Derived from laser cladding, the Direct Laser Metal Deposition (DLMD) process is based upon a laser beam – powder – melt pool interaction, and enables the manufacturing of complex 3D shapes much faster than conventional processes. However, the surface finish remains critical, and DLMD parts usually necessitate post-machining steps. Within this context, the focus of our work is to improve the understanding of the phenomena responsible for deleterious surface finish by using numerical simulation. Mass, momentum, and energy conservation equations are solved using COMSOL Multiphysics® in a 2D transient model including filler material with surface tension and thermocapillary effects at the free surface. The dynamic shape of the molten zone is explicitly described by a moving mesh based on an Arbitrary Lagrangian Eulerian method (ALE). This model is used to analyze the influence of the process parameters, such as laser power, scanning speed, and powder feed rate, on the melt pool behavior. The simulations of a single layer and multilayer claddings are presented. The numerical
results are compared with experimental data, in terms of layer height, melt pool length, and depth of penetration, obtained from high speed camera. The experiments are carried out on a widely-used aeronautical alloy (Ti-6Al-4V) using a Nd:YAG laser. The results show that the dilution ratio increases with increasing the laser power and the scanning velocity, or with decreasing the powder feed rate. The final surface finish is then improved.

I. Introduction

Direct Laser Metal deposition process results from rapid prototyping techniques and laser cladding. A powder stream is distributed by a nozzle coaxial to a laser beam moving in the x-direction at a $V_s$ scanning speed (Figure 1). The laser beam creates a melt pool by heating a small area of the substrate. Metallic powder reaches the free surface, making a layer of deposited material. Finally, this procedure is repeated many times, layer-by-layer until the entire object is built. The clad shape and the surface finish depend on the energy absorbed by the substrate, the amount of material deposited and the dynamic of the molten zone (surface tension and Marangoni effect). Therefore, numerical modeling can give real insight into the additive laser process, improving our understanding of the underlying physics occurring in the laser interaction zone and the correlation of the process parameters.
Figure 1: Observable quantities for DLMD process in a longitudinal section and numbering of the boundaries.

Analytical and numerical models have been developed to simulate the DLMD process. Hoadley and Rappaz [1] proposed a thermal model of 2D quasi-stationary laser cladding to determine the temperature field. In their approach, the powder is not supposed to melt instantaneously at the surface but is completely distributed in the liquid prior to melting. This study focuses on the influence of laser power and scanning speed on the dilution and the thickness of the deposit. De Oliveira et al. [2] established correlations between the geometry of the molten zone and the operating parameters from an analytical model and experimental data. Picasso and Hoadley [3] presented a 2D thermal hydrodynamic quasi-stationary model taking into account the surface tension and the Marangoni effect. The position of the free boundary is determined by a force balance and the clad height is computed using mass conservation. Toyserkani et al. [4] proposed a 3D model and solved...
the transient heat equation by the finite element method. Hydrodynamic effects are taken into account by means of an effective thermal conductivity in the molten zone. The interaction between powder and melt pool is assumed to be decoupled. The shape of molten zone is deduced from the thermal problem. It is assumed that the layer is deposited on the intersection of the melt pool and the powder stream. The thickness is calculated based on the powder feed rate and elapsed time. A more sophisticated model has been proposed by Han et al. [5]. Their model takes into account heat transfer, phase changes, mass addition, fluid flow, and interactions between the laser beam and the powder flow. To track the liquid/gas interface and simulate the continuous addition of material, the authors used the level-set method. Thus, their 2D model can predict the geometry of the clad and the temperature and velocity fields. In addition, it is able to handle the particle impinging, giving some insight into the mechanisms of the interaction between the powder and melt pool. This approach has also been extended to 3-D equivalent models ([6], [7]). However, most of these models are limited to single layer cladding. Few models deal with multilayer cladding. To simulate the generation of several layers, some authors have used cell activation ([8]) or a specific function for thermal conductivity which depends on time and space to describe the movement of the front ([9]). However, in these works, the fluid flow in the melt pool was neglected, as well as the surface tension and thermocapillary force. A more physically-based model has been recently proposed by Kong and Kovacevik [10]. The authors developed a 2D transient heat transfer and fluid flow model for a multilayer laser cladding process. A level-set method is used to track the evolution of the free surface.
In this paper, a self-consistent 2D transient DLMD model is presented, in which the geometry of single or multilayer clads is calculated as a function of the process parameters (scanning speed, laser energy distribution, powder feed rate). The equations of conservation of energy, mass and momentum are solved in a coupled manner with the finite element software Comsol Multiphysics® v4.2a. The geometry of the deposited layer is explicitly described using an Arbitrary Lagrangian-Eulerian (ALE) moving mesh. It takes into account mass addition, melting and solidification phase changes, surface tension and Marangoni effect. Thermophysical properties, corresponding to the titanium alloy Ti-6Al-4V, depend on temperature in solid and liquid phases.

II. Experimental Procedure

Experiments were carried out with a CW Nd:YAG 8002 TRUMPF disc laser, with a maximum power of 8 kW. The laser beam was delivered through a 200 µm optical fibre, using a collimating and focusing lens that generates a focal spot of 400 µm diameter. A helical powder nozzle was used, where the powder material (45 -75 µm average grain size) is delivered coaxially with the laser beam, resulting in a 4.4 mm powder focus diameter located at the melt pool surface, and with average powder feed rates of 1 - 3 g/min. The spatial concentration profile of powder flow was shown experimentally to have a quasi Gaussian distribution. Argon was used as a carrier and shielding gas, in order to ensure powder conveyance, and to limit oxidation.

The melt pool dynamic was analysed with a CMOS fast camera (PHOTRON IMAGER FASTCAM) with a maximum recording rate of 100 kHz. Lateral observations
of the melt pool were realized by placing this camera on the side, perpendicularly to the
scanning displacement.

III. Numerical Simulations

1. Governing Equations

The computational domain is initially composed of a rectangle of 40 x 20 mm (Figure 1). The surrounding gas phase is not modeled because of the large difference of densities
and dynamic viscosities between the liquid metal and the gas phase. The model, which
uses a Darcy condition to damp the velocity in the solid zone, includes energy
conservation equation (1.1), momentum conservation equation (1.2) and mass
conservation equation (1.3). It applies to the liquid phase (assumed incompressible
Newtonian fluid and laminar flow), the solid phase and the mushy zone:

\[
\rho c_p \left( \frac{\partial T}{\partial t} + (\vec{u} - \vec{u}_m) \cdot \vec{\nabla} T \right) = \vec{\nabla} \cdot \left( \lambda \vec{\nabla} T \right) + Q, \tag{1.1}
\]

\[
\rho_0 \left[ \frac{\partial \vec{u}}{\partial t} + (\vec{u} - \vec{u}_m) \cdot \vec{\nabla} \right] \vec{u} = \vec{\nabla} \cdot \left[ -p I + \mu_0 \left( \vec{\nabla} \vec{u} + (\vec{\nabla} \vec{u})^T \right) \right] + F_{\text{buoyancy}} + F_{\text{Darcy}}. \tag{1.2}
\]

\[
\vec{\nabla} \cdot \vec{u} = 0 \tag{1.3}
\]

where \( \rho \) is the density (kg.m\(^{-3}\)), \( c_p^* \) is the equivalent heat capacity (J.kg\(^{-1}\).K\(^{-1}\)) which is
expressed by (1.5), \( T \) is the temperature (K), \( \lambda \) is the thermal conductivity (W.m\(^{-1}\).K\(^{-1}\))
and \( Q \), is the heat source (W.m\(^{-3}\)). \( \rho_0 \) is the density at \( T = T_m \), \( \vec{u} \) is the fluid velocity
vector (m.s\(^{-1}\)), \( \vec{u}_m \) is the mesh velocity vector (m.s\(^{-1}\)), \( p \) is the pressure (Pa) and \( \mu_0 \) is the
dynamic viscosity (Pa.s).
As the substrate thickness \( w_0 \) is relatively low compared to other dimensions, heat loss in the out-of-plane dimension (z-direction) is modeled via a volumetric sink term \( Q_v \) in the energy equation in order to match the experimental configuration as closely as possible. This loss simulates convection and radiation to ambient air occurring at the two large walls of the substrate and is expressed as follows:

\[
Q_v = -2 \left( h_c (T - T_0) + \varepsilon \sigma_B (T^4 - T_0^4) \right) / w_0
\]  

(1.4)

where \( h_c \) is the heat convection coefficient, \( T_0 \) is the ambient temperature, \( \varepsilon \) is the emissivity and \( \sigma_B \) is the Stefan-Boltzmann constant.

The equivalent heat capacity is:

\[
c'_p = c_p(T) + \frac{\Delta H_m}{\sqrt{\pi} (T_L - T_S)^2} \exp \left( -\frac{(T - T_m)^2}{(T_L - T_S)^2} \right)
\]  

(1.5)

where \( T_m \) is the temperature at the melting point (K), defined by the mean temperature between \( T_L \) and \( T_S \), the liquidus and solidus temperatures (K) respectively and \( \Delta H_m \) is the latent heat of fusion (J.kg\(^{-1}\)).

The last two terms in (1.2) represent the buoyancy forces and Darcy term. The buoyancy forces are due to density gradients associated with expansion of the liquid metal and are usually expressed using the Boussinesq approximation, as follows:

\[
\vec{F}_{buoyancy} = \rho_0 \left( 1 - \beta (T - T_m) \right) \vec{g}
\]  

(1.6)
The Darcy term represents the damping force when fluid goes through a porous media (dendrite structures). This term is assumed to vary with liquid fraction (1.8) and can be expressed according to the Kozeny-Carman equation [11]:

\[
\bar{F}_{\text{Darcy}} = -\frac{180\mu_0}{d^2} \frac{(1-f_L)^2}{\left(f_L^3 + \tau^3\right)} (\bar{u} - \bar{u}_m)
\]  

(1.7)

The \(d\) parameter is related to the dendrite diameter [12] and \(\tau\) is a numerical trick to avoid singularity when the liquid fraction is zero (here \(\tau = 0.001\)).

The liquid fraction \(f_L\) is assumed to vary linearly as a function of temperature in the mushy zone delimited by the solidus \(T_S\) and liquidus \(T_L\) temperatures and is defined as follows:

\[
f_L = \begin{cases} 
0 & T < T_S \\
\frac{T - T_S}{T_L - T_S} & T_S \leq T \leq T_L \\
1 & T_L < T
\end{cases}
\]  

(1.8)

2. Initial & Boundary Conditions

Table 1: Boundary conditions (see Figure 1 for the boundary numbers)

<table>
<thead>
<tr>
<th>N#</th>
<th>1</th>
<th>2, 3, 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>Heat transfer</td>
<td>(\lambda \nabla T \cdot \bar{n} = I_0)</td>
<td>(\lambda \nabla T \cdot \bar{n} = -h_i (T - T_0) - \varepsilon \sigma (T^4 - T_0^4) - \rho c_p \nabla T \cdot \bar{n} (T - T_p))</td>
</tr>
<tr>
<td>Fluid</td>
<td>Normal direction: (\sigma \cdot \bar{n} = -K \gamma \cdot \bar{n})</td>
<td>(\bar{u} = \bar{0})</td>
</tr>
<tr>
<td>Tangential direction: (\sigma_t = \frac{\partial \gamma}{\partial T} \nabla T \cdot \bar{n})</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Moving mesh</td>
<td>(V_n = \bar{u} \cdot \bar{n} + \nabla T \cdot \bar{n})</td>
<td>(V_n = 0)</td>
</tr>
</tbody>
</table>
The substrate is assumed to be initially at the ambient temperature $T_0$, and the initial velocity field and initial pressure field at a zero value. For the thermal problem, the boundary conditions take into account the laser source, convection and radiation losses. They are specified in Table 1. All material properties and model parameters are summarised in Table 2 (see Boivineau et al. [13] concerning temperature dependent properties).

The energy distribution intensity $I_0$ (W.m$^{-2}$) is considered as uniform and takes into account the attenuation of the heat flux due to the inclination of the free boundary compared with the incident laser beam.

$$I_0(x,t) = \begin{cases} \frac{\alpha \cos(\theta) P_l}{\pi r_l^2} & |x-V_s t| \leq r_l \\ 0 & |x-V_s t| > r_l \end{cases}$$  \hspace{1cm} (1.9)

with $\alpha$ the absorptivity of the material, $\theta$ the incidence angle, $P_l$ the incident laser power, $r_l$ the laser beam radius and $V_s$ the laser beam velocity.

Although models of beam attenuation have been developed (Pinkerton [20]), the attenuation of the laser beam by the powder particles is not accounted for in this model. In fact, a part of the laser beam energy is absorbed by the powder particles, but this energy is redistributed when the particles fall into the melt pool. Moreover, the powder particles are supposed to be at the same temperature as the melt pool ($T_p = T$). Note that the energy required to melt the powder particles represent less than 10% of the laser power.
$V_p$ represents the boundary moving velocity due to powder addition. Momentum quantity associated with the material addition in the molten zone is neglected. The calculation of $V_p$ is given by:

$$
\dot{V}_p = N_p \frac{\eta_p D_s}{\rho_0 \pi r_p^2} \exp \left( -N_p \frac{(x - V_s t)^2}{r_p^2} \right) \cdot j
$$

(1.10)

$N_p$ and $r_p$ are respectively the constriction coefficient and the standard deviation of the gaussian distribution. They have been determined by a local measurement of powder flow in different locations of the powder focal plane. The powder catchment efficiency is expressed through $\eta_p$. It is calculated by assessing the mass difference between the deposited material and the quantity of powder delivered by the nozzle during a given period. $\rho_0$ is the powder density at $T = T_m$. Note that $V_p$ is considered equal to zero when the surface temperature is below the melting point.

Table 2 : Material properties and parameters used in the calculations

<table>
<thead>
<tr>
<th>Property</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Initial temperature</td>
<td>$T_0 (K)$ 293</td>
</tr>
<tr>
<td>Solidus temperature</td>
<td>$T_s (K)$ 1873 [13]</td>
</tr>
<tr>
<td>Liquidus temperature</td>
<td>$T_L (K)$ 1923 [13]</td>
</tr>
<tr>
<td>Thermal conductivity</td>
<td>$\lambda (W.m^{-1}.K^{-1})$ [13]</td>
</tr>
<tr>
<td>Specific heat capacity</td>
<td>$c_p (J.kg^{-1}.K^{-1})$ [13]</td>
</tr>
<tr>
<td>Density</td>
<td>$\rho (kg.m^{-3})$ [13]</td>
</tr>
<tr>
<td>Convection coefficient</td>
<td>$h_c (W.m^{-2}.K^{-1})$ [20] *</td>
</tr>
<tr>
<td>Emissivity</td>
<td>$\varepsilon$ 0.4 [13]</td>
</tr>
<tr>
<td>Absorptivity</td>
<td>$\alpha$ 0.4 [13]</td>
</tr>
<tr>
<td>Stefan-Boltzmann constant</td>
<td>$\sigma_B (W.m^{-2}.K^{-4})$ 5.67 × 10^{-8}</td>
</tr>
</tbody>
</table>

* Enthalpy for the melting process
Latent heat of fusion \( \Delta H_m \) (J.kg\(^{-1}\)) \( 3 \times 10^5 \) [13]

Surface tension coefficient \( \gamma \) (N.m\(^{-1}\)) \( 1.5 \) [14] [15]

Thermocapillary coefficient \( \frac{\partial \gamma}{\partial T} \) (N.m\(^{-1}\).K\(^{-1}\)) \( -2.7 \times 10^{-4} \) [16] [17]

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Laser power ( P_l ) (W)</td>
<td>320 to 500</td>
</tr>
<tr>
<td>Laser beam radius ( r_l ) (mm)</td>
<td>0.65</td>
</tr>
<tr>
<td>Mass powder rate ( D_m ) (g.min(^{-1}))</td>
<td>1 to 2</td>
</tr>
<tr>
<td>Powder stream radius ( r_p ) (mm)</td>
<td>2.2</td>
</tr>
<tr>
<td>Constriction coefficient ( N_p )</td>
<td>5</td>
</tr>
<tr>
<td>Powder catchment efficiency ( \eta_p )</td>
<td>0.5</td>
</tr>
<tr>
<td>Scanning speed ( V_S ) (m.min(^{-1}))</td>
<td>0.1 to 0.4</td>
</tr>
<tr>
<td>Reference liquid density ( \rho_0 ) (kg.m(^{-3}))</td>
<td>3800 at ( T=T_L ) [13]</td>
</tr>
<tr>
<td>Dynamic viscosity ( \mu_0 ) (Pa.s)</td>
<td>( 4 \times 10^{-3} )</td>
</tr>
<tr>
<td>Thermal expansion coefficient ( \beta ) (K(^{-1}))</td>
<td>( 2 \times 10^4 )</td>
</tr>
<tr>
<td>Substrate thickness ( w_0 ) (m)</td>
<td>0.002</td>
</tr>
<tr>
<td>Dendrite diameter ( d ) (m)</td>
<td>( 10^{-4} )</td>
</tr>
</tbody>
</table>

* The value of convection coefficient is chosen according to forced convection conditions. Wang and Felicelli have shown that the influence of the convective heat transfer coefficient on the temperature field is moderate for \( 1 < h_c < 100 \) [18]. However, a more realistic value can be found using the approach proposed by Zekovic et al. [19]. They developed a 3D model of the turbulent gas-powder flow, which reveals zones of intense gas flow over the wall surfaces, due to forced convection caused by the powder-gas stream.
3. Resolution Parameters & Mesh

The moving mesh is managed by the ALE method implemented in Comsol Multiphysics®, with a hyperelastic smoothing method. The resolution is performed with the direct PARDISO solver associated with generalized-α temporal solver. Relative and absolute tolerances are respectively $10^{-3}$ and $10^{-4}$. The mesh consists of 38,676 triangular elements with a maximum size of 20 µm at the boundary 1 (Figure 1). Quadratic elements are chosen for the momentum and moving mesh equations, and linear elements for the energy equation. Simulations are performed on a computing station (24 x 3.33 GHz - 96 GB RAM). Each simulation is performed with four processors. The CPU time ranged from 4 to 5 days for a deposited layer of 35 mm long and about 4 weeks for five layers.

<table>
<thead>
<tr>
<th>Max. element size at bnd 1</th>
<th>10 µm</th>
<th>20 µm</th>
<th>40 µm</th>
</tr>
</thead>
<tbody>
<tr>
<td>Max. temperature</td>
<td>2239 K</td>
<td>2241 K</td>
<td>2244 K</td>
</tr>
<tr>
<td>Max. velocity</td>
<td>0,90 m.s$^{-1}$</td>
<td>0,92 m.s$^{-1}$</td>
<td>1,15 m.s$^{-1}$</td>
</tr>
<tr>
<td>CPU time / Degrees of freedom</td>
<td>36,379 s / 255,369</td>
<td>8,360 s / 87,854</td>
<td>3,664 s / 32,517</td>
</tr>
</tbody>
</table>

The spatial convergence is checked by refining the mesh. In order to reduce computation time, these calculations are performed in a moving coordinate system which moves at the same velocity as the heat source. The influence of the mesh element size on the maximum temperature and velocity is presented in Table 3. It can be observed that
the maximum temperature is slightly affected by the mesh refining (less than 1%). However, a 20% improvement is shown in the accuracy of the maximum fluid velocity from 40 µm to 20 µm on the surface, with an increase of 128% on the computation time. The gain is only 2% from 20 µm to 10 µm, while the computing time increases by 335%. Moreover, the influence of the mesh on the quasi-stationary size of the molten zone (length, total height, substrate depth) is small (<2%). A mesh element size of 20 µm is then used for all the computations. Note that the error on the energy conservation remains less than 10% during the five layers deposition modeling, but the accuracy of the model could be improved using local remeshing.

IV. Numerical Results & Discussion

1. Single layer deposition

Figure 2 shows the melt pool shape and the velocity vector field in the melt pool for $P_l = 400$ W, $V_S = 0.4$ m.min$^{-1}$ and $D_m = 2$ g.min$^{-1}$ at $t = 2.625$ s during a single layer deposition. The thermocapillary coefficient, negative for the Ti-6Al-4V, is driving the flow to the periphery of the molten zone. One can observe the existence of two convective cells nearly stable, the most important being responsible for the melt pool spread on the back.
Figure 2: Fluid flow in the molten pool during DLMD process at $t = 2.625$ s

($P_l = 400$ W, $V_S = 0.4 \text{ m.min}^{-1}$, $D_m = 2 \text{ g.min}^{-1}$)

Temperature and velocity profiles along the boundary 1 are plotted in Figure 3 at $t = 2.625$ s, which corresponds to a laser beam located at $x = 17.5$ mm. The maximum temperature at the surface of the melt pool is 2471 K, indicating that no evaporation occurs. On each side of the peak temperature location, thermal gradients are of opposite sign, leading to a fluid flow velocity equal to zero at that point due to Marangoni effect. The thermal gradients become maximal at the edge of the laser beam, which explains the velocity peaks observed.
In order to demonstrate the ability of the model, a series of calculations was performed for a laser power from 320 to 500 W, a scanning speed from 0.1 to 0.4 m.min$^{-1}$ and a powder feed rate of 1 and 2 g.min$^{-1}$. The evolutions of melt pool length $L_0$, melt pool height $H_0$ and deposition height $\Delta h$ versus the linear energy $P_l/V_s$ are presented in Figure 4. Numerical results are compared with measurements obtained from high speed camera.
Numerical

Experimental

\( D_m = 1 \text{ g.min}^{-1} \)

\( D_m = 2 \text{ g.min}^{-1} \)

(a)

(b)
The evolutions of the molten zone as a function of linear energy are qualitatively consistent with experimental observations. However, the numerical model overestimates greatly the length of the molten zone. This can be explained by the 2D assumption that neglects the convective motion in the transverse plane (z-direction), responsible for a heat redistribution by the fluid flow.

The theoretical evolution of the deposit height (Figure 4c) is obtained from Equation (1.11), proposed by Fathi et al. [21]. Their model considers a parabolic shape for the clad. The height is assumed to depend on two process parameters which are the scanning speed and powder feed rate and is given by:

\[
\Delta h = \frac{3 \cdot \eta_p \cdot D_m}{2 \cdot \rho \cdot w_0 \cdot V_s}
\]  

(1.11)
with \( w_0 \) the width of the substrate. Analytical values are in good agreement both with numerical results and measurements. The calculated melt pool behavior regarding to process parameters is also consistent with literature data ([2][21]).

2. Improvement of Surface Finish

One of the current limitations in Direct Laser Metal Deposition process is the final surface finish, which requires a post machining step to satisfy quality standard. Indeed, the multilayered depositions generate a stepped lateral surface. The curvature of each track results in a rough lateral surface, as shown in Figure 5. In order to identify the process parameters responsible for the surface degradation during DLMD process, Gharbi et al. [22] have realized multilayered walls by varying the laser power, the mass powder rate and the scanning speed. In this work, the size of the melt pool is measured using a fast camera and the surface finish is quantified by measuring the \( W_t \) parameter using a profilometer. This parameter represents the maximum “peak-to-valley” waviness and is defined in Figure 5a. The surface finish is then better when the \( W_t \) parameter is small.
Figure 5: Macrographs of a deposited thin wall: (a) cross-section view, (b) longitudinal view

It has been shown that a reduction of layer thickness and an increase of melt pool size have a beneficial effect on the surface finish. The experimental data have been used to identify a correlation between the $W_t$ parameter and the dilution ratio, which is defined by:

$$D = \frac{(H_0 - \Delta h)}{H_0}$$  \hspace{1cm} (1.12)
Figure 6 shows the decrease of the measured $W_t$ parameter with the dilution obtained by varying the laser power (320 – 500 W), the scanning speed (0.1 – 0.4 m.min$^{-1}$) and powder feed rate (1 – 2 g.min$^{-1}$). Based on the correlation between the dilution and the surface finish, the 2D model has been used to identify the process parameters leading to large dilution and thus a better surface finish. Figures 7 and 8 present the evolution of the dilution as a function of linear energy ($P_l / V_s$) and linear mass ($D_m / V_s$) respectively. For a linear energy less than 250 kJ.m$^{-1}$, the model predicts the same trends as those observed experimentally. For a given scanning velocity, the dilution is larger for high laser power and low powder feed rate. Increasing the scanning velocity also improves the dilution in all cases. Therefore, a better surface finish is obtained with high laser power, high scanning speed and low powder feed rate. For a linear energy higher than 250 kJ.m$^{-1}$ (for example, $P_l = 500$ W, $V_s = 0.1$ m.min$^{-1}$), the discrepancy between experimental and
numerical results increases drastically due to the 2D assumption. The corresponding results are not reported in Figures 7 and 8. These results are also in agreement with the experimental results obtained by Unocic and DuPont [23]. For the case of one layer deposited on a substrate, it is shown that dilution ratio increases with increasing laser power and scanning velocity and decreasing powder mass flow rate. However the surface finish is not studied in this work.

Figure 7: Dilution versus linear energy

\[ \frac{H_0 - \Delta h}{H_0} \]

\( \frac{P_i}{V_s} \) (kJ.m\(^{-1}\))
The influence of process parameters on the surface finish has been studied in a limited number of works. Alimardani et al. [24] recently shows that for a given powder feed rate the smoothness and the uniformity of a deposit wall were enhanced by increasing the scanning velocity, which reduces the thickness of the individual layer. Moreover it is shown that the laser power has to be increased with scanning speed to keep a good surface finish. Yakovlev et al. [25] insist on the influence of scanning velocity, power density and powder feed rate that determine whether a deposited layer is smooth and continuous or degraded.
3. Multilayer Deposition

In this section, a five-layer laser deposition manufacturing process is simulated. Each layer is carried out according to a nozzle displacement from \( x = 0 \) mm to \( x = 35 \) mm for the five layers, with 20 s idle time before starting the next layer. The process parameters are \( P_l = 400 \) W, \( V_s = 0.4 \) m.min\(^{-1}\) and \( D_m = 2 \) g.min\(^{-1}\). With this scanning speed, the five layers are achieved in 106.25 s. The total height is 1.37 mm.

Figure 9 presents the evolution of the melt pool dimensions during the first to fifth layers. Figure 10 shows the shape of the melt pool for the 1\(^{st}\), 3\(^{rd}\) and 5\(^{th}\) layers. It can be observed that the melt pool size increases as the wall height rises, as shown in Figure 9. Between the 1\(^{st}\) and 5\(^{th}\) layer, the length \( L_0 \), the whole height \( H_0 \) and the deposit height \( \Delta h \) of the melt pool are respectively increased by 16%, 15% and 12%. The increase of the melt pool size is attributed to the storage of energy into the wall during the deposition of successive layers.

Figure 9 : Evolution of the melt pool dimensions during the deposition of the first to fifth layers
This is confirmed by the evolution of peak temperature at the melt pool surface and the temperature of a point in the substrate (Figure 11). During the deposition of the first layer, the temperature of the substrate increases as the laser approaches, then decreases as the laser reaches the end of the wall. The temperature continuously reduces during the idle time of 20 s. During the next layers, the substrate temperature exhibits a periodic evolution with increasing maximum and minimum, except for the fourth and fifth layers. The maximum temperature of the substrate begins to reduce with increasing distance from the melt pool.

![Temperature field and melt pool shape for the 1st, 3rd and 5th layers](image)

Figure 10: Temperature field and melt pool shape for the 1st, 3rd and 5th layers

After the deposition of five layers, it can be observed in Figure 10 an increase of the clad height at the two end-points of each layer. This phenomena has already been observed numerically and experimentally by Alimardani et al. [26]. To better understand
this increase, Figure 12 shows the temperature field and the melt pool shape at different times obtained for the fifth layer. It can be observed that at the beginning of a layer, the melt pool length is very small (Figure 12 a), so the amount of metallic powder is spread over a reduced area. The resulting deposit height is then larger. As the laser is moving, the melt pool length increases due to edge effects. At the extremity of the wall, the heat diffusion directions are reduced and the peak temperature at the surface of the melt pool rises. The thermal gradients become higher leading to larger fluid velocities at the melt pool surface due to Marangoni effect. The added material is then ejected at the rear of the melt pool which contributes to increase the height of the layer at the extremity (Figure 12 b). As the melt pool is moving, the melt pool length tends to diminish and reaches a stable value leading to a constant clad height (Figure 12 c). When the nozzle reaches the end of the wall, the melt pool length begins again to increase due to edge effect and then decreases at the extremity of the wall (Figure 12 d). The fluid flow drives the material at the rear of the melt pool inducing an excess of material at this extremity. The increase of clad height is less pronounced than that observed at the extremity located at $x = 0$, because of the scan strategy of the nozzle, which always moves in the same direction. The rounded shape observed at the two end-points of the wall can be attributed to the surface tension effect. This typical shape can not be predicted by purely conductive models, as the one proposed by Alimardani et al. [26]. Their comparison between experimental and numerical results shows that their model can not reproduce the experimental shapes observed at the two end-points.
Figure 11: Evolution of the peak temperature and temperature of one point Pt 1 (0.0175, -0.002) in the substrate (see Figure 10) during the deposition of the first to fifth layers.
Figure 12: Temperature field and melt pool shape at different times during the deposition of the fifth layer

V. Summary and conclusion

A self-consistent 2D transient heat transfer and fluid flow model has been developed for simulating a multilayered direct metal laser deposition process. The main physical phenomena are taken into account, such as surface tension effect and addition of powder. The dynamic shape of the free surface is explicitly tracked by using an ALE moving mesh. A numerical analysis shows the dependencies between the geometry of the molten zone and the primary operating parameters (laser power, scanning speed, powder feed rate). Experimental results indicate that the surface finish is improved with high dilution ratio, which corresponds to a small thickness of each layer. The 2D model is used to identify the process parameters resulting in high dilution ratio and thus a better surface finish. It is demonstrated that dilution ratio increases with increasing laser power and
scanning velocity and decreasing powder feed rate. The deposition of five layers is successfully simulated. It is observed an increase of the melt pool size during the deposition of the five layers. The shape of the different layers is analysed. The increase of the clad height at the two end-points of the wall is attributed to thermal phenomenon due to edge effect combined with Marangoni effect. The comparison between experimental and numerical results has indicated that the melt pool height and the layer thickness are well predicted by the model but the melt pool length appears to be largely overestimated by the model. This discrepancy has been attributed to the 2D assumption which neglects transverse fluid flow. In the future, a 3D heat transfer and fluid flow model will be developed in order to obtain more realistic results which are comparable to the corresponding experiments.

Acknowledgements

This work is supported by French Agency for Research (ANR) under the ASPECT project referenced ANR-09-BLAN-0014-02.

References


